

# A semantics for context-oriented programming languages with multiple layer activation mechanisms

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joint work with

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# Context-oriented programming

An approach to software modularity

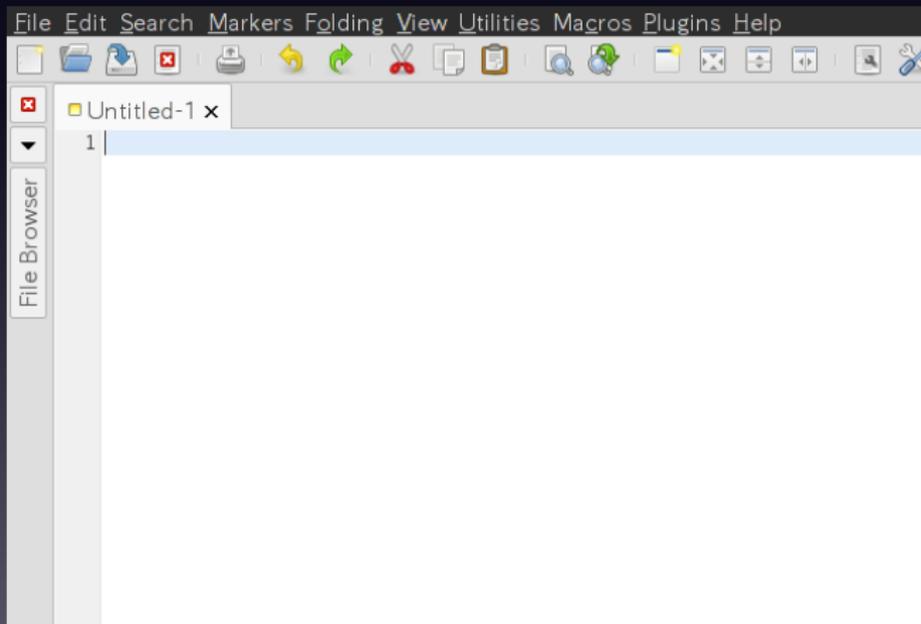
- Modularizing **context-dependent behavioral variations**

# Contexts and behavior: saving the buffer content

```
|> jedit &
```

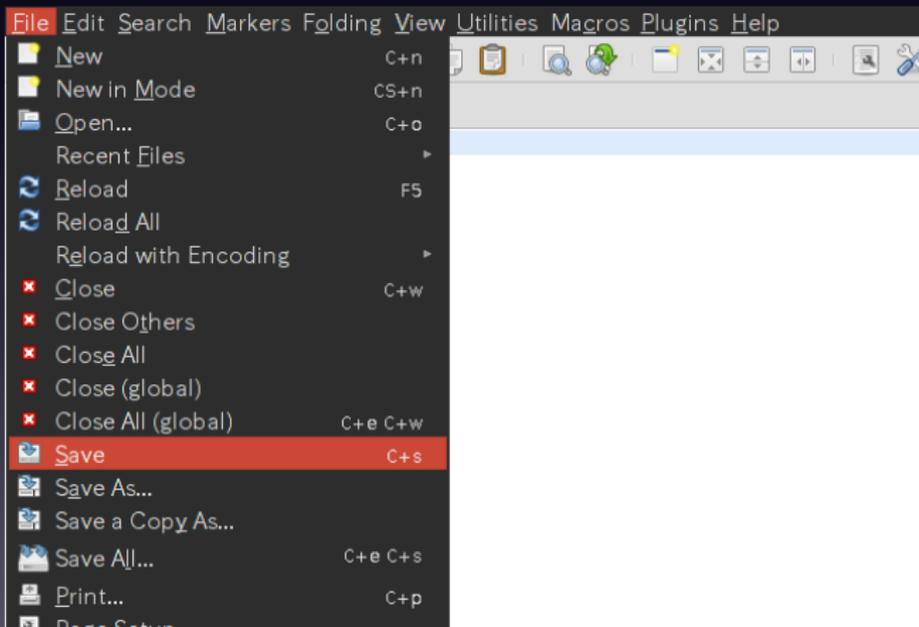
# Contexts and behavior: saving the buffer content

One empty buffer with no associated file



# Contexts and behavior: saving the buffer content

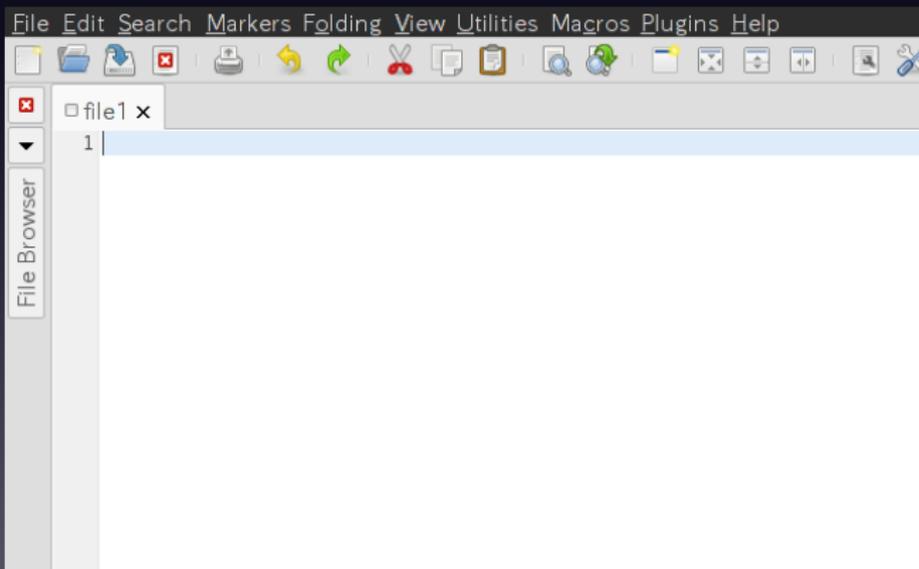
When we save the buffer,



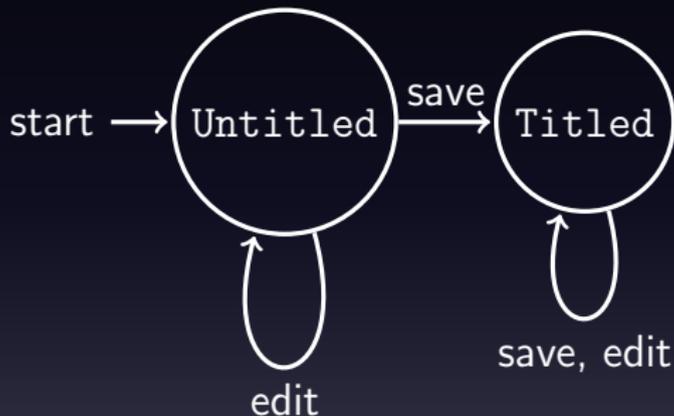


# Contexts and behavior: saving the buffer content

Once we specified the file,  
we are not asked to specify the file to save the buffer any more



# Contexts and behavior: saving the buffer content



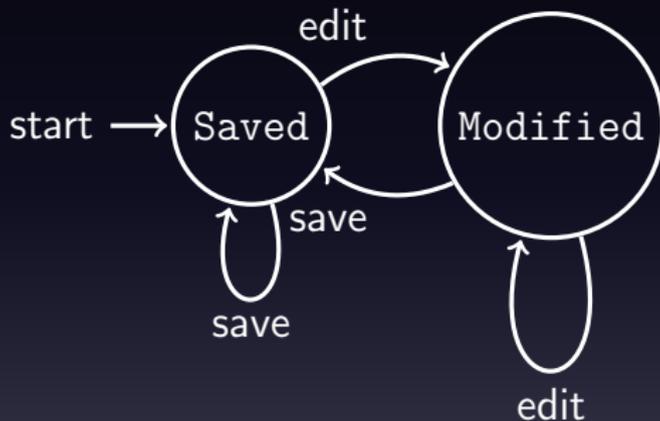
Untitled

```
void save(){  
    /*ask the file name and*/  
    /*save the content to the file*/  
}
```

Titled

```
void save(){  
    /*save the content to the file*/  
}
```

# Contexts and behavior: closing the application



Saved

```
void close(){  
    /*close the app.*/  
}
```

Modified

```
void close(){  
    /*save the content to the file*/  
    /*and close the app.*/  
}
```

# Context-oriented programming language

Context-oriented programming languages provide

- *Layers*
- *Partial method*
- *Layer activation mechanism*

# Context-oriented programming language

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- *Layers* group partial methods and each has one binary state that is either active or inactive
- *Partial method*
  
- *Layer activation mechanism*

# Context-oriented programming language

Context-oriented programming languages provide

- *Layers* group partial methods and each has one binary state that is either active or inactive
- *Partial method* in layer  $L$  for method  $m$ , namely  $L.m$ , defines the variation of the behavior of  $m$  in the context represented by  $L$
- *Layer activation mechanism*

# Context-oriented programming language

Context-oriented programming languages provide

- *Layers* group partial methods and each has one binary state that is either active or inactive
- *Partial method* in layer  $L$  for method  $m$ , namely  $L.m$ , defines the variation of the behavior of  $m$  in the context represented by  $L$
- *Layer activation mechanism* (de)activates layers at runtime

# Layers and partial methods

```
class Buffer{
  File f;
  void save(){
    /*save to f*/
  }
}
layer Untitled{
  void Buffer.save(){
    /*ask the file name and*/
    /*save the content to the file*/
  }
}
```

# Layers and partial methods

```
class Buffer{  
    File f;  
    void save(){  
        /*save to f*/  
    }  
}
```

Layer

```
layer Untitled{  
    void Buffer.save(){  
        /*ask the file name and*/  
        /*save the content to the file*/  
    }  
}
```

# Layers and partial methods

```
class Buffer{  
    File f;  
    void save(){  
        /*save to f*/  
    }  
}
```

Layer

```
layer Untitled{  
    void Buffer.save(){  
        /*ask the file name and*/  
        /*save the content to the file*/  
    }  
}
```

Partial method

# Layers and partial methods

```
class Buffer{  
    File f;  
    void save(){  
        /*save to f*/  
    }  
}
```

Layer

*call Buffer.save  
within context  $\bar{L}$*

```
layer Untitled{  
    void Buffer.save(){  
        /*ask the file name and*/  
        /*save the content to the file*/  
    }  
}
```

Partial method

# Layers and partial methods

```
class Buffer{  
    File f;  
    void save(){  
        /*save to f*/  
    }  
}
```

Layer

```
layer Untitled{  
    void Buffer.save(){  
        /*ask the file name and*/  
        /*save the content to the file*/  
    }  
}
```

Partial method

if Untitled  $\notin \bar{L}$   
(Untitled is not active)

call Buffer.save  
within context  $\bar{L}$

if Untitled  $\in \bar{L}$   
(Untitled is active)

# Layer activation mechanisms

- *Block*: (ContextJ [Appeltauer09], JCop [Appeltauer10])
- *Imperative*: (Subjective-C [González10])
- *Per-object*: (EventCJ [Kamina11], ContextErlang [Salvaneschi12])
- *Implicit/reactive*: (PyContext [von Löwis07], Flute [Bainomugisha12])

# Example: block activation

`with(L){ $\bar{S}$ ;} ensures that layer L is active during execution of  $\bar{S}$`

```
void main(){
  Buffer b=new Buffer();
  with(Untitled){
    b.save(); //→Untitled.Buffer.save
  } // because  $\bar{L} = [\text{Untitled}]$ 
  b.save(); //→Buffer.save because  $\bar{L} = \emptyset$ 
}
```

# Example: imperative activation

activate(L) activates layer L until deactivate(L) is executed

```
void main(){
  Buffer b=new Buffer();
  activate(Untitled);
  b.save();           //→Untitled.Buffer.save
}                   //because  $\bar{L} = [Untitled]$ 
```

# Dynamic layer precedence

If layer  $L_1$  is activated more recently than layer  $L_2$ , then  $L_1$  is more effective than  $L_2$

## Example

Assume that class `Buffer` has two layers `Untitled` and `Modified` that define partial method `save`

```
void main(...){
    Buffer b=new Buffer();
    with(Untitled){           //[] ↦ [Untitled]
        with(Modified){     //[Untitled] ↦ [Modified,Untitled]
            b.save();       //→Modified.Buffer.save
        }                   //[Modified,Untitled] ↦ [Untitled]
    }                         //[Untitled] ↦ []
}
```

# Dynamic layer precedence

If layer  $L_1$  is activated more recently than layer  $L_2$ , then  $L_1$  is more effective than  $L_2$

## Example

Assume that class `Buffer` has two layers `Untitled` and `Modified` that define partial method `save`

```
void main(){
    Buffer b=new Buffer();
    activate(Untitled); //[]  $\mapsto$  [Untitled]
    activate(Modified); //[Untitled]  $\mapsto$  [Modified,Untitled]
    b.save();           // $\rightarrow$ Modified.Buffer.save
```

# Activating active layers

When an active layer is activated, it just moves to the head of the context  $\bar{L}$ . In other words, every layer can appear at most once in the context.

```
void main(){
  Buffer c=new Buffer();
  activate(Untitled); //[]  $\mapsto$  [Untitled]
  activate(Modified); //[Untitled]  $\mapsto$  [Mod.,Untitled]
  activate(Untitled); //[Mod.,Untitled]  $\mapsto$  [Untitled,Mod.]
  b.save();           // $\rightarrow$ Untitled.Buffer.save
```

# Activating active layers

When an active layer is activated, it just moves to the head of the context  $\bar{L}$ . In other words, every layer can appear at most once in the context.

```
void main(){
  Buffer b=new Buffer();
  with(Untitled){           //[]  $\mapsto$  [Untitled]
    with(Modified){       //[Untitled]  $\mapsto$  [Mod., Untitled]
      with(Untitled){     //[Mod., Untitled]  $\mapsto$  [Untitled, Mod.]
        b.save();         // $\rightarrow$ Untitled.Buffer.save
      }                   //[Untitled, Mod.]  $\mapsto$  [Mod., Untitled]
    b.save();             // $\rightarrow$ Modified.Buffer.save
  }
}
```

# Question: mixed activation

```
void main(){
    Buffer b=new Buffer();
    with(Untitled){
        activate(Untitled);
    }
    b.save();      //→Buffer.save? Or Untitled.Buffer.save?
}
```

# Question: mixed activation

```
void main(){
    Buffer b=new Buffer();
    activate(Untitled);
    activate(Modified);
    with(Untitled){
        b.save(); //→Untitled.Buffer.save? Modified.Buffer.save?
        with(Modified){
            activate(Modified);
        }
    }
    b.save(); //→Untitled.Buffer.save? Modified.Buffer.save?
}
```

# Our choice

```
void main(){
    Buffer b=new Buffer();
    with(Untitled){
        activate(Untitled);
    }
    b.save();           //→Untitled.Buffer.save because
}                       //there is no deactivate after activate
```

# Our choice

```
void main(){
    Buffer b=new Buffer();
    activate(Untitled);
    activate(Modified);
    with(Untitled){
        b.save();//→Untitled.Buffer.save (most recently activated)
        with(Modified){
            activate(Modified);
        }
    }
    b.save(); //→Modified.Buffer.save (most recently activated)
}
```

# Our approach: distributivity-based semantics [Uustalu'05]

- Computations depending on active layers are structured with a comonad
- Computations that (de)activate layers imperatively are structured with a monad
- Mixing block and imperative activation can be easily achieved via a distributive law of the comonad over the monad

# Terms and values

<code>data Tm = V Var</code>	<i>(Variable)</i>
<code>S Sym</code>	<i>(Function symbol)</i>
<code>L Var [(Layer, Tm)]</code>	<i>(Abstraction)</i>
<code>Tm :@ Tm</code>	<i>(Application)</i>
<code>A Layer</code>	<i>(Imperative activation)</i>
<code>D Layer</code>	<i>(Imperative deactivation)</i>
<code>With Layer Tm</code>	<i>(Block activation)</i>
<code>Without Layer Tm</code>	<i>(Block deactivation)</i>
<code>Tm :@@ Tm</code>	<i>(Proceeding application)</i>

`type Val d t = d (Val d t) → t (Val d t)`

The type parameters `d` and `t` are functors

- `d a`: the type of values with two lists of active layers
- `t a`: the type of computations performing imperative layer (de)activation

# Terms and values

data Tm = V Var	<i>(Variable)</i>
S Sym	<i>(Function symbol)</i>
L Var [(Layer, Tm)]	<i>(Abstraction)</i>
Tm :@ Tm	<i>(Application)</i>
A Layer	<i>(Imperative activation)</i>
D Layer	<i>(Imperative deactivation)</i>
With Layer Tm	<i>(Block activation)</i>
Without Layer Tm	<i>(Block deactivation)</i>
Tm :@@ Tm	<i>(Proceeding application)</i>

type Val d t = d (Val d t) → t (Val d t)

Moreover,

- $(d, \text{extract}, \Rightarrow\Rightarrow)$  is a comonad
- $(t, \text{return}, \gg=)$  is a monad
- there is a distributive law of the comonad over the monad

# Terms and values

We first show the comonadic semantics of the following subset of our language (imperative activation is omitted)

```
data Tm = V Var           (Variable)
        | S Sym           (Function symbol)
        | L Var [(Layer, Tm)] (Abstraction)
        | Tm :@ Tm        (Application)
        | A Layer         (Imperative activation)
        | D Layer         (Imperative deactivation)
        | With Layer Tm   (Block activation)
        | Without Layer Tm (Block deactivation)
        | Tm :@@ Tm       (Proceeding application)
```

```
type Val d = d (Val d) → Val d
```

# Comonad for COP

Comonads are represented as instances of the following type class:

```
class Comonad d where
  extract :: d a → a
  (=>>) :: d a → (d a → b) → d b
```

LS is the functor of our comonad:

```
data LS a = LS a [Layer] [Layer]
```

and we can define the comonad:

```
instance Comonad LS where
  extract (LS x _ _) = x
  x@(LS _ lsP lsF) =>> f = LS (f x) lsP lsF
```

Specifically, we have to check the three coherence conditions, but it is easy and trivial (our comonad is an environment comonad)

# Comonadic interpretation

Comonadic semantics is given by the following function

```
type Val d = d (Val d) → Val d
type Env d = [(Var, Val d)] -- list of variable-value pairs
class Comonad d ⇒ ComonadEv d where
  ev :: Tm → d (Env d) → Val d
```

But for simplicity, we define `ev` as follows

```
ev :: Tm → LS (Env LS) → Val LS
```

# Comonadic interpretation

Comonadic semantics is given by the following function

```
type Val d = d (Val d) → Val d
type Env d = [(Var, Val d)] -- list of variable-value pairs
ev :: Tm → LS (Env LS) → Val LS
```

With and Without just change the full list of active layers

```
ev (With ly t) (LS env lsP lsF) =
  ev t (LS env lsP (ly : removeL ly lsF))
```

```
ev (Without ly t) (LS env lsP lsF) =
  ev t (LS env lsP (removeL ly lsF))
```

where `removeL ly lst` removes `ly` from `lst` if exists

# Comonadic interpretation

Comonadic semantics is given by the following function

```
type Val d = d (Val d) → Val d
type Env d = [(Var, Val d)] -- list of variable-value pairs
ev :: Tm → LS (Env LS) → Val LS
```

To interpret applications, we need to wrap the argument value with the context. We use  $\Rightarrow\Rightarrow$  for this purpose.

```
ev (f :@ a) dens = let f' = ev f dens
                    a' = dens  $\Rightarrow\Rightarrow$  ev a
                    in calling f' a'
```

calling copies the full list of active layers to the partial list of active layers

```
calling :: (LS a → a) → LS a → a
calling f (LS x lsP lsF) = f (LS x lsF lsF)
```

# Comonadic interpretation

Comonadic semantics is given by the following function

```
type Val d = d (Val d) → Val d
type Env d = [(Var, Val d)] -- list of variable-value pairs
ev :: Tm → LS (Env LS) → Val LS
```

Proceeding applications are interpreted in the same way to applications, but the partial list of active layers are reduced

```
ev (f :@@ a) denV = let f' = ev f denV
                    a' = denV ==>> ev a
                    in proceeding f' a'

proceeding :: (LS a → a) → LS a → a
proceeding f (LS x lsP lsF) = f (LS x (tail lsP) lsF)
```

# Comonadic interpretation

Comonadic semantics is given by the following function

```
type Val d = d (Val d) → Val d
type Env d = [(Var, Val d)] -- list of variable-value pairs
ev :: Tm → LS (Env LS) → Val LS
```

Abstractions are interpreted as comonadic functions, which select the body term w.r.t. the context of the argument *cv*

```
ev (L x body) denv = f where
  f :: LS (Val LS) → Val LS
  f cv = ev (dispatch cv body) (cmap repair (czip cv denv))
  repair (a, env) = update x a env
}
```

# Distributivity-based interpretation

Now lets think an interpretation of the full language

```
data Tm = V Var           (Variable)
        | S Sym           (Function symbol)
        | L Var [(Layer, Tm)] (Abstraction)
        | Tm :@ Tm        (Application)
        | A Layer         (Imperative activation)
        | D Layer         (Imperative deactivation)
        | With Layer Tm   (Block activation)
        | Without Layer Tm (Block deactivation)
        | Tm :@@ Tm       (Proceeding application)
```

```
type Val d t = d (Val d t) → t (Val d t)
```

# Monad for COP

Monads are represented as instances of the following type class:

```
class Monad t where
  return :: a → t a
  (>>=) :: t a → (a → t b) → t b
```

AE is the functor of our monad:

```
data Ev = Acti | Deacti
type Eff = [(Layer, Ev)]
data AE a = AE a Eff
```

and the monad for COP is defined as:

```
instance Monad AE where
  return x = AE x []
  (AE x eff) >>= f = let (AE y eff') = f x
                      in AE y (merge eff' eff)
```

# Distributive law of the comonad over the monad

The Distributive laws of comonads over monads<sup>[Brookes92, Power02]</sup> allow us to put the effects represented by monads to the contexts represented by comonads

In Haskell, the distributive combination is implemented as follows:

```
class (Comonad d, Monad t) => Dist d t where
  dist :: d (t a) -> t (d a)
```

For example, for our case:

```
instance Dist LS AE where
  dist (LS (AE v eff) lsP lsF) =
    AE (LS v lsP (eApp eff lsF)) eff
```

where eApp applies the effect to the list of active layers

# Distributivity-based interpretation

Distributivity-based interpretation is given by

```
type Val d t = d (Val d t) → t (Val d t)
type Env d t = [(Var, Val d t)] -- list of variable-value pairs
ev :: Tm → LS (Env LS AE) → AE (Val LS AE)
```

Imperative activation and deactivation just generate layer activation and deactivation events respectively

```
ev (A ly) denv = AE u [(ly, Acti)]
ev (D ly) denv = AE u [(ly, Deacti)]
```

where  $u$  is some function, e.g.,

```
u x = return (extract x)
```

# Distributivity-based interpretation

Distributivity-based interpretation is given by

```
type Val d t = d (Val d t) → t (Val d t)
type Env d t = [(Var, Val d t)] -- list of variable-value pairs
ev :: Tm → LS (Env LS AE) → AE (Val LS AE)
```

Another interesting case is applications

```
ev (f :@ a) denv =
  do f' ← ev f denv
     a' ← dist (denv ⇒⇒ ev a)
     calling f' a'
```

This does not work because the effects of imperative activation during the evaluation of `f` is ignored by the evaluation of `a`

# Distributivity-based interpretation

Distributivity-based interpretation is given by

```
type Val d t = d (Val d t) → t (Val d t)
type Env d t = [(Var, Val d t)] -- list of variable-value pairs
ev :: Tm → LS (Env LS AE) → AE (Val LS AE)
```

One way to propagate the effect of imperative activation in  $f$  is to use the distributive law not only at the evaluation of  $a$  but also  $f$

```
ev (f :@ a) denv =
  do f' ← dist (denv ⇒⇒ ev f)
     x' ← dist (czip f' denv ⇒⇒ snd ∘ extract ⇒⇒ ev a)
     calling (extract f') x'
```

$f'$  has the full list of active layers that reflect the imperative activation during the evaluation of  $f$

# Related work

Formal studies on COP languages [Clarke09, Igarashi11, Igarashi12, Kamina14, Inoue15]

- Only one activation mechanism is considered, or the two activation are managed separately
- Most of the studies are focused on “type safety”

Distributivity-based semantics for dataflow programming [Ustalu05]

- Our work is largely inspired by the work

# Conclusions and future work

We showed

- Comonadic interpretation for the COP languages that support only block activation
- Distributivity-based interpretation for the languages that support both block and imperative activation

Future work includes

- Concurrent context changes
- Type system, verification
- Re-implementing ServalCJ<sub>[Kamina15]</sub> compiler based on the semantics

# Thank you

```
void main(){
    Buffer b=new Buffer();
    activate(Untitled);
    activate(Modified);
    with(Untitled){
        b.save(); //→Untitled.Buffer.save? Modified.Buffer.save?
        with(Modified){
            activate(Modified);
        }
    }
    b.save(); //→Untitled.Buffer.save? Modified.Buffer.save?
}
```